

Mechanical Q factor measurement of PR3-SAS

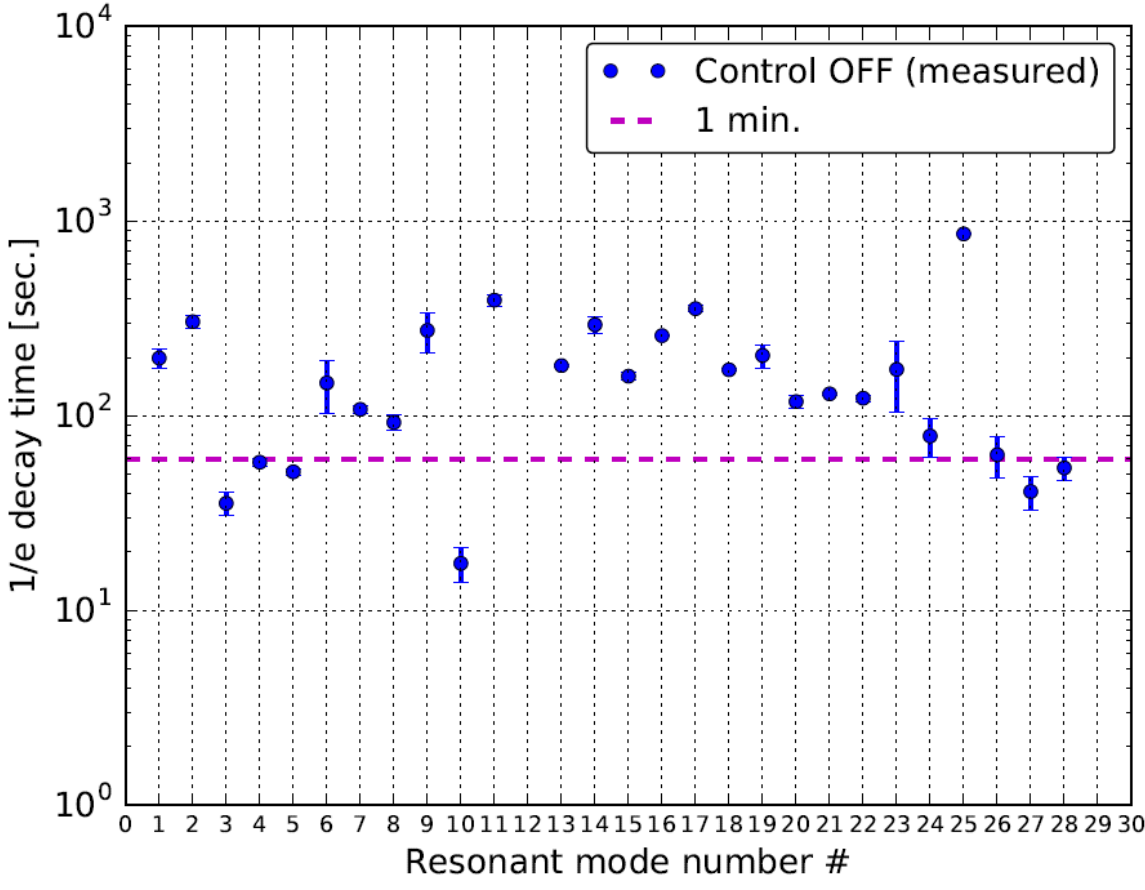
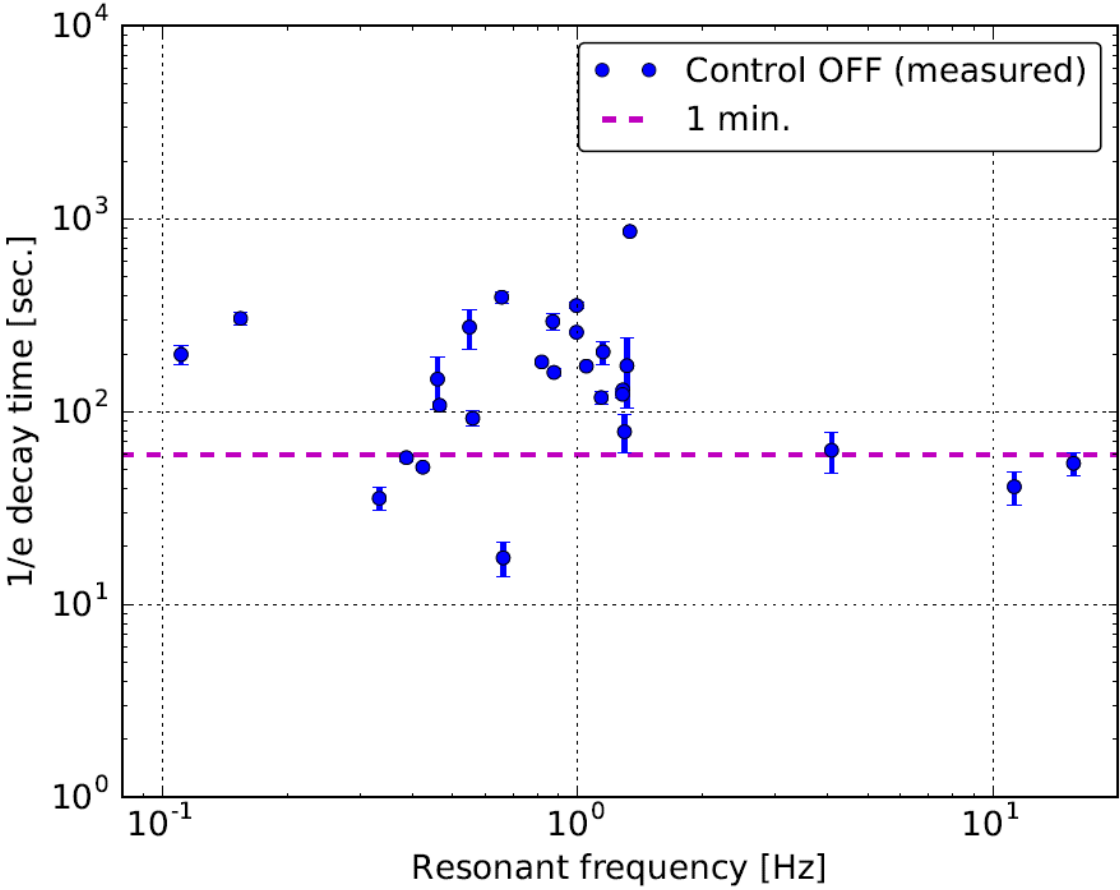
Main flow:

1. Excite a resonance at f_0
2. Measure its decay time constant τ
- (3. Obtain Q factor using $Q = \pi f_0 \tau$)
4. Repeat 1-3 for all the measurable resonances

What was done from June 12 to June 23, 2017:

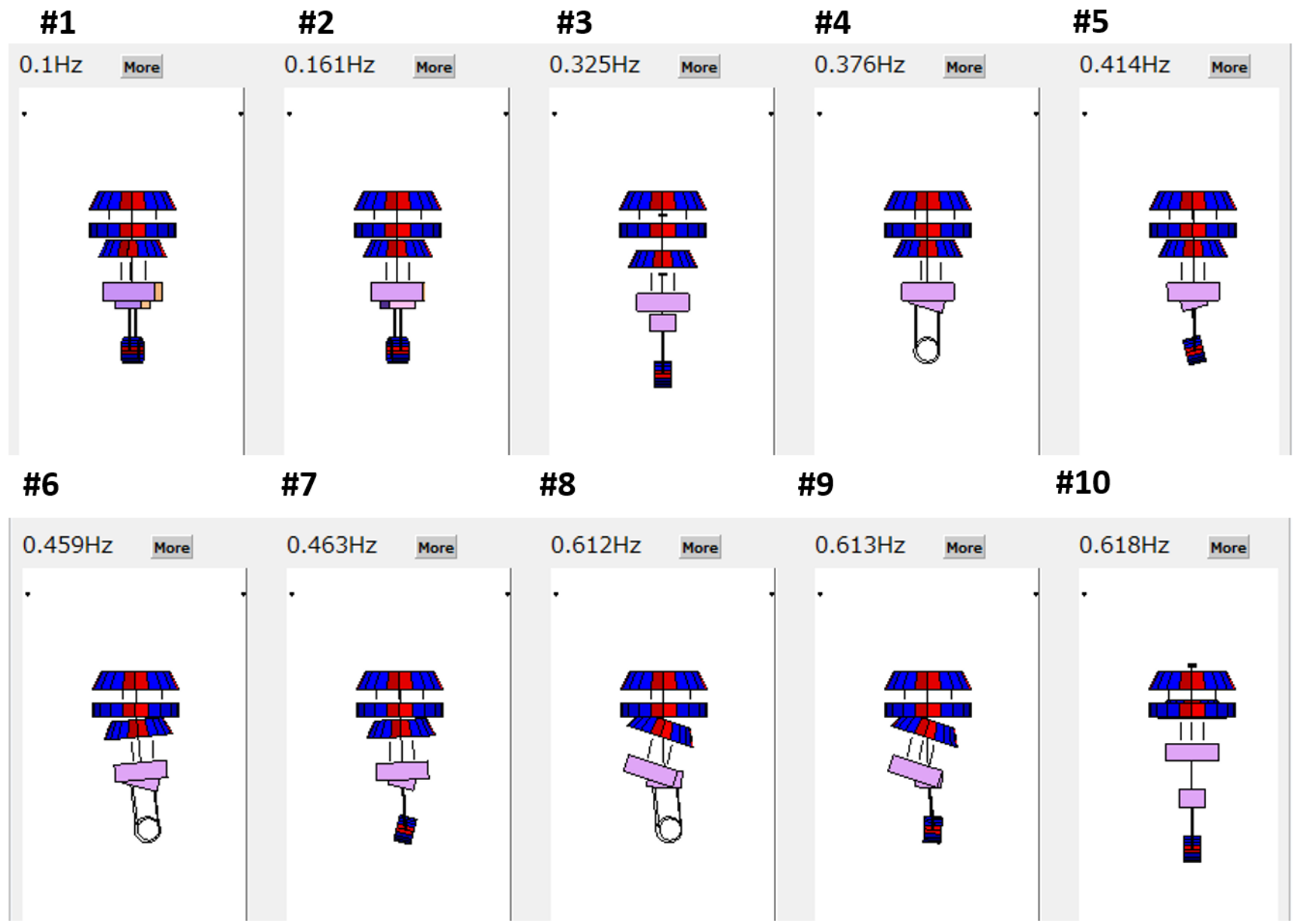
Measuring Q factors *without damping* of PR3-SAS in the chamber in lower frequency region (below 20 Hz).

Result: To be compared with the ones with damping control



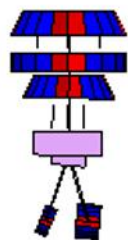
NOTE: #12 was not able to be excited on June 2017. This mode is differential motion by RM and TM in T DoF and thus this mode would not disturb the operation. Then this missing should not be so problematic. (it can be measured somehow though.)

Eigen mode shapes of
PR3 SAS (Type-Bp):



#11

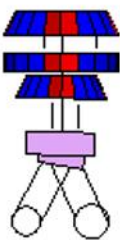
0.659Hz [More](#)



#12

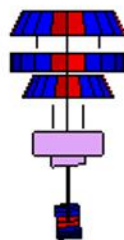
0.659Hz [More](#)

NOT Measured



#13

0.849Hz [More](#)



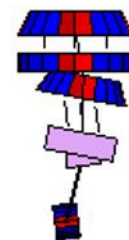
#14

0.9Hz [More](#)



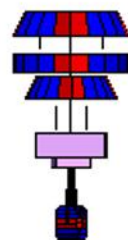
#15

0.901Hz [More](#)



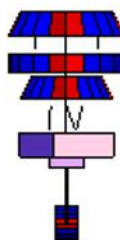
#16

1.011Hz [More](#)



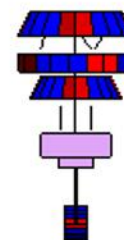
#17

1.017Hz [More](#)



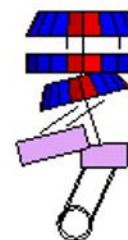
#18

1.022Hz [More](#)



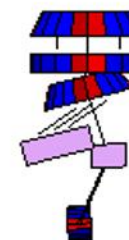
#19

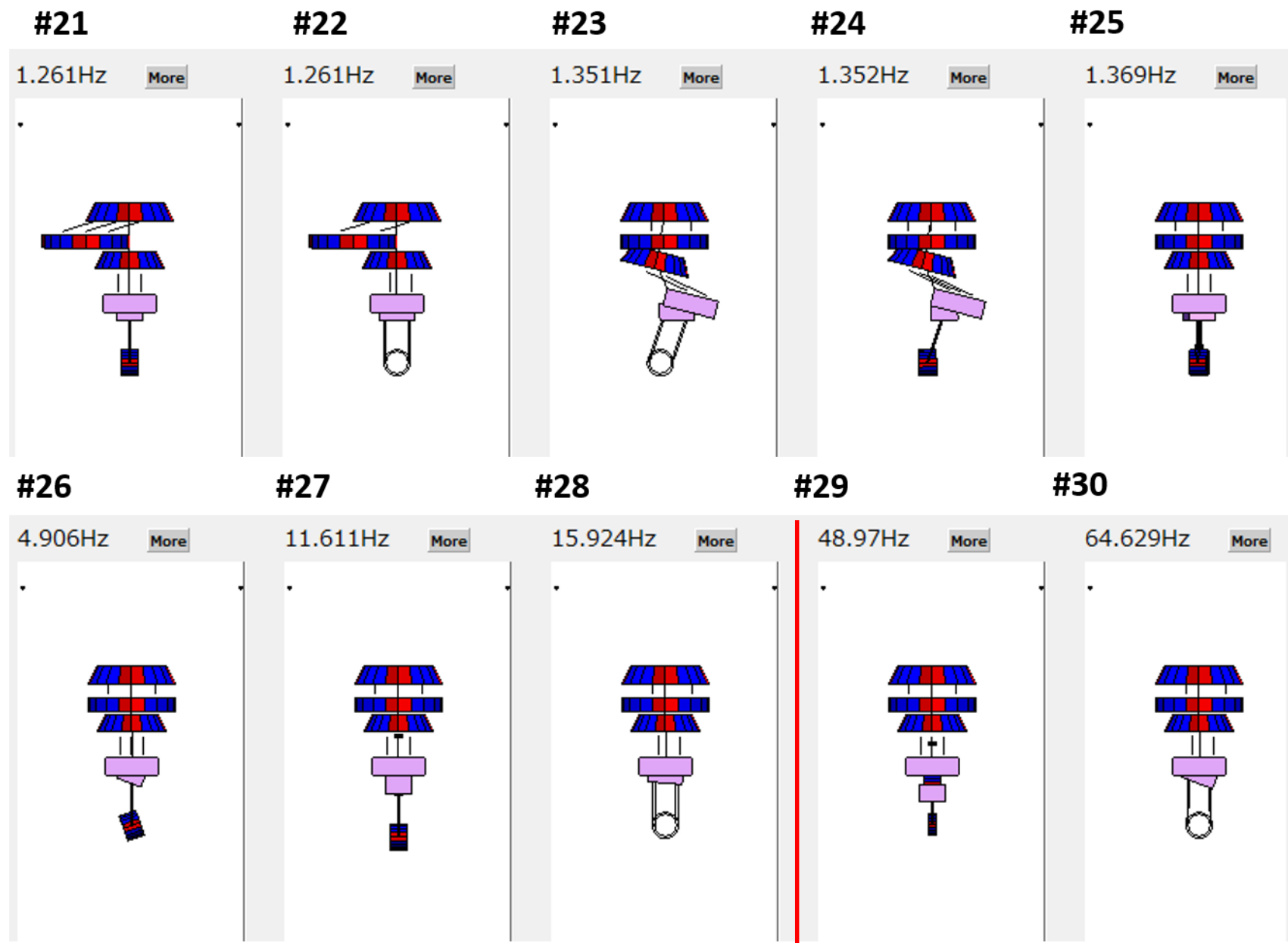
1.186Hz [More](#)



#20

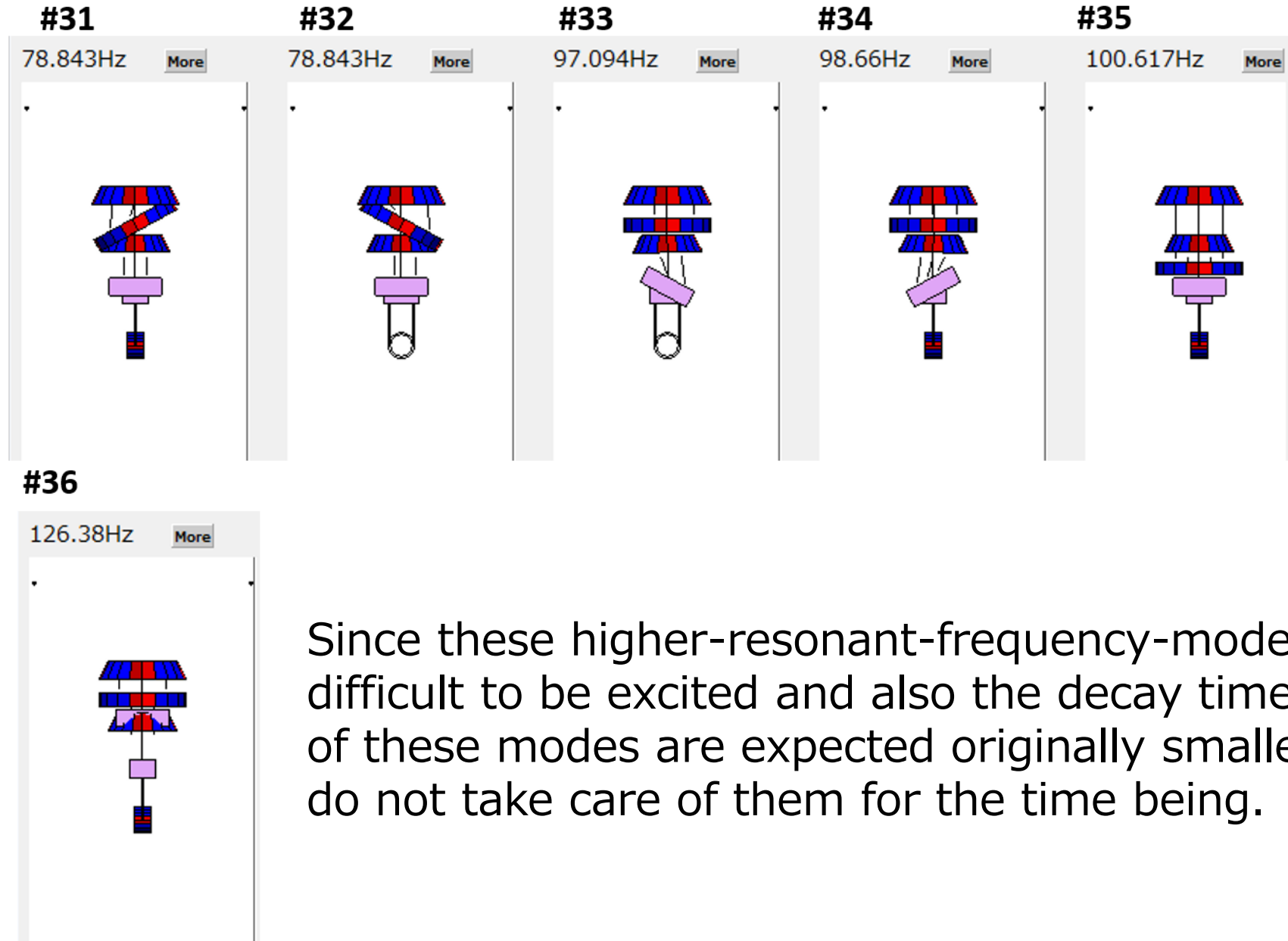
1.186Hz [More](#)





Measured ← → NOT Measured

→ NOT Measured

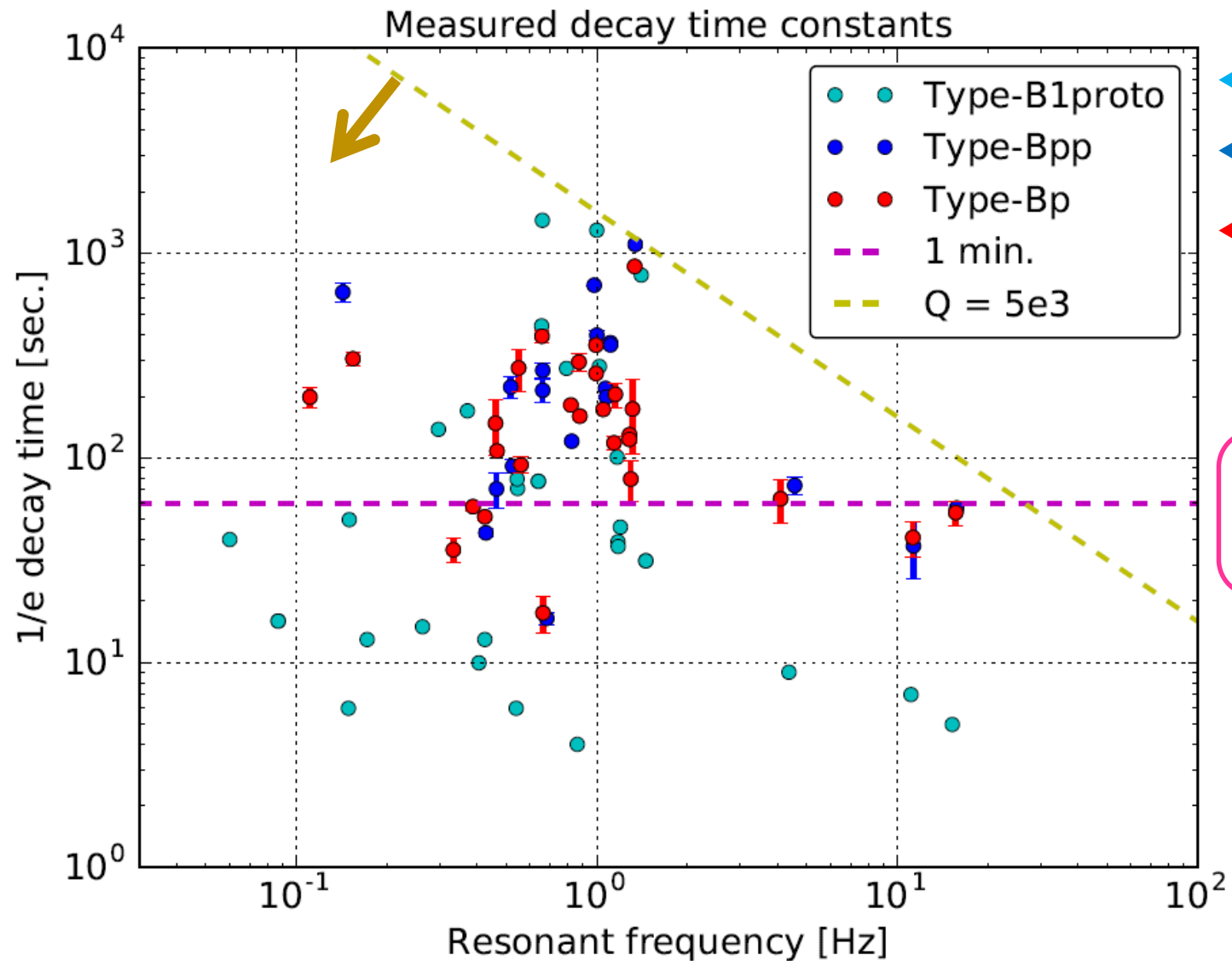


Since these higher-resonant-frequency-modes are so difficult to be excited and also the decay time constants of these modes are expected originally smaller. Thus we do not take care of them for the time being.

Mechanical Q factors of KAGRA-SAS:

Type-Bp vs. Type-Bp' vs. Type-B1proto

Maximum Q *without damping* seems to be $\sim 5e3$ for KAGRA-SAS.



- ← Suspension by T. Seki.
- ← iKAGRA PR3 Suspension
- ← bKAGRA PR3 Suspension

1 min: Requirement in the damping control phase

Note:
Type-B1 proto & Type-Bpp were in vacuum, on the other hand, Type-Bp was in air.

Back ups:

Preparation:

1. Measure forced transfer functions
in order to know which the appropriate actuator is.
2. Calculate eigen-mode-shapes & their resonant frequencies
using 3D-rigid-body model.
3. Implement damping filters
in order to complete this measurement smoothly.

Measurement:

1. Open "dv" for watching oscillation of related DoFs.
2. Open 2 windows of "diaggi" for excitation & for measurement.
3. Set excitation amplitude, frequency, and time in diaggi for excitation.
4. Input excitation and after confirming the resonance is excited enough by looking at dv, turn off the excitation then start measurement of the decay signal.
5. Fit the measured data by following formula:

$$f(t) = A \exp\left(-\frac{t}{\tau_e}\right) \sin(2\pi f_0 t) + x_0,$$

When it was difficult to excite only one resonant mode and a beating signal is measured, the signals can be fitted by a double decay sine wave function:

$$f(t) = A_1 \exp\left(-\frac{t}{\tau_{e,1}}\right) \sin(2\pi f_1 t) + A_2 \exp\left(-\frac{t}{\tau_{e,2}}\right) \sin(2\pi f_2 t) + x_0$$